

3D video games

3D Game Physics

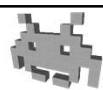


Marco Tarini



2

Course Plan



- lec. 1: Introduction ●
- lec. 2: Mathematics for 3D Games ●●●●●●
- lec. 3: Scene Graph ▶▶
- lec. 4: Game 3D Physics 📍●●●●+●●
- lec. 5: Game Particle Systems ▶
- lec. 6: Game 3D Models ●●
- lec. 7: Game Textures ▶●
- lec. 8: Game Materials ●
- lec. 9: Game 3D Animations ▶●●
- lec. 10: 3D Audio for 3D Games ●
- lec. 11: Networking for 3D Games ●
- lec. 12: Interactive Agents for 3D Games ●
- lec. 13: Rendering Techniques for 3D Games ●

computer animation

3

Animation in games

but, a note on terminology:
in some contexts, procedural means
“produced by a *simple* procedure”
as opposed to “physically simulated”

Non procedural	Procedural
<ul style="list-style-type: none">● Assets!● Fully controlled by artist/designer (dramatic effects!)● Realism: depends on artist's skill● Does not adapt to context● Repetition artefacts	<ul style="list-style-type: none">● Physics engine● Less control● Physics-driven realism● Auto adaptation to context● Naturally repetition free

4


Physics simulation in videogames

- 3D, or 2D
- “soft” real-time
- efficiency
 - 1 frame = 33 msec (at 30 FpS)
 - physics = 5% - 30% max of computation time
- plausibility
 - but not necessarily *accuracy*
- robustness
 - should almost never “explode”
 - it's tolerable to have inconsistencies over a few frames, as long as it recovers in subsequent frames

6

Physics in games: cosmetics or gameplay?

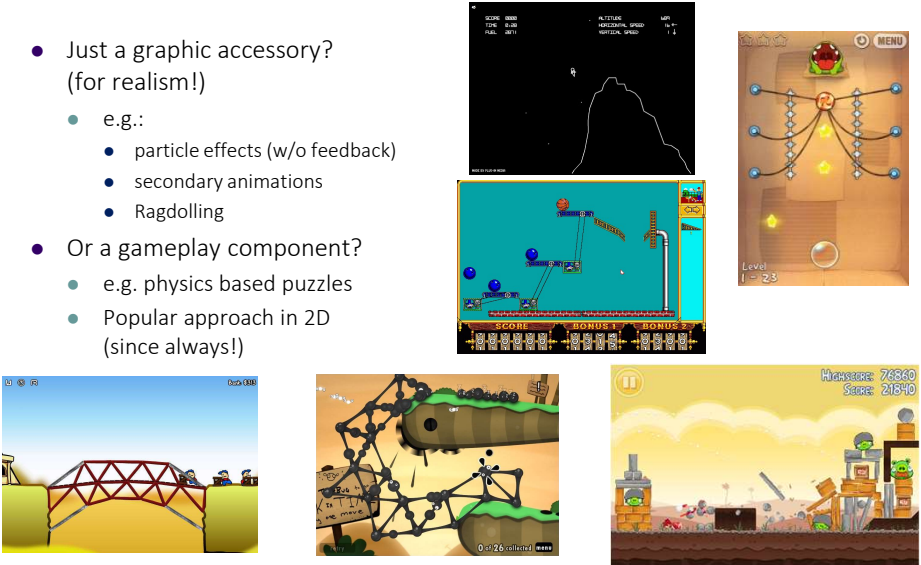
- Just a graphic accessory?
(for realism!)
 - e.g.:
 - particle effects (w/o feedback)
 - secondary animations
 - Ragdolling
- Or a gameplay component?
 - e.g. physics based puzzles
 - Popular approach in 2D
(since always!)



7

Physics in games: cosmetics or gameplay?

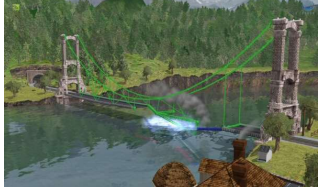

- Just a graphic accessory?
(for realism!)
 - e.g.:
 - particle effects (w/o feedback)
 - secondary animations
 - Ragdolling
- Or a gameplay component?
 - e.g. physics based puzzles
 - Popular approach in 2D
(since always!)



8

Physics in games: cosmetics or gameplay?

- Just a graphic accessory?
(for realism!)
 - e.g.:
 - particle effects (w/o feedback)
 - secondary animations
 - Ragdolling
- Or a gameplay component?
 - e.g. physics based puzzles
 - Rising trend in 3D



9

Physics engine: intro

- Game engine module
 - executed in real time at game run-time
- A high-demanding computation
 - on a very limited time budget!
- ...but highly parallelizable
 - potentially, highly parallel

==> good fit for hardware support



(just like the Rendering Engine)

10

Hardware for Physics engine







To exploit a strong parallelism, you need a strongly parallel hardware!


- For a brief moment ~2006: **PPU**
 - “Physics Processing Unit”
 - HW unit specialized for physics
- After that: **GP-GPU**
 - “General Purpose Graphics Processing Unit”
= Use of the graphics card for generic tasks (not related with 3D computer graphics)
 - or, Cuda (nVidia), OpenCL (openSource)



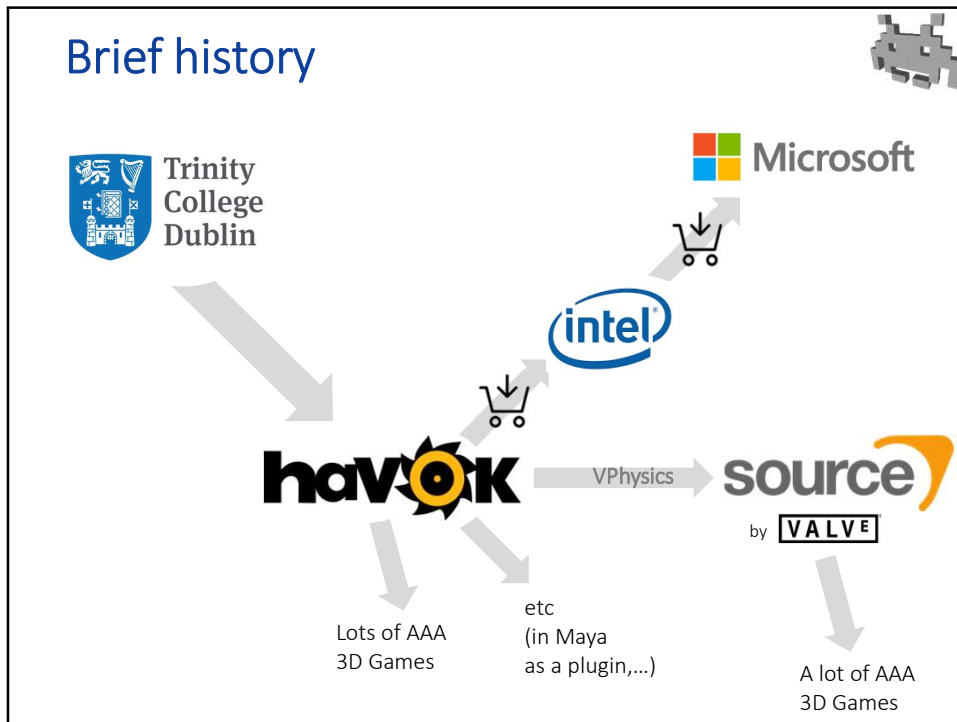
11

Main Software (libraries, SDK)

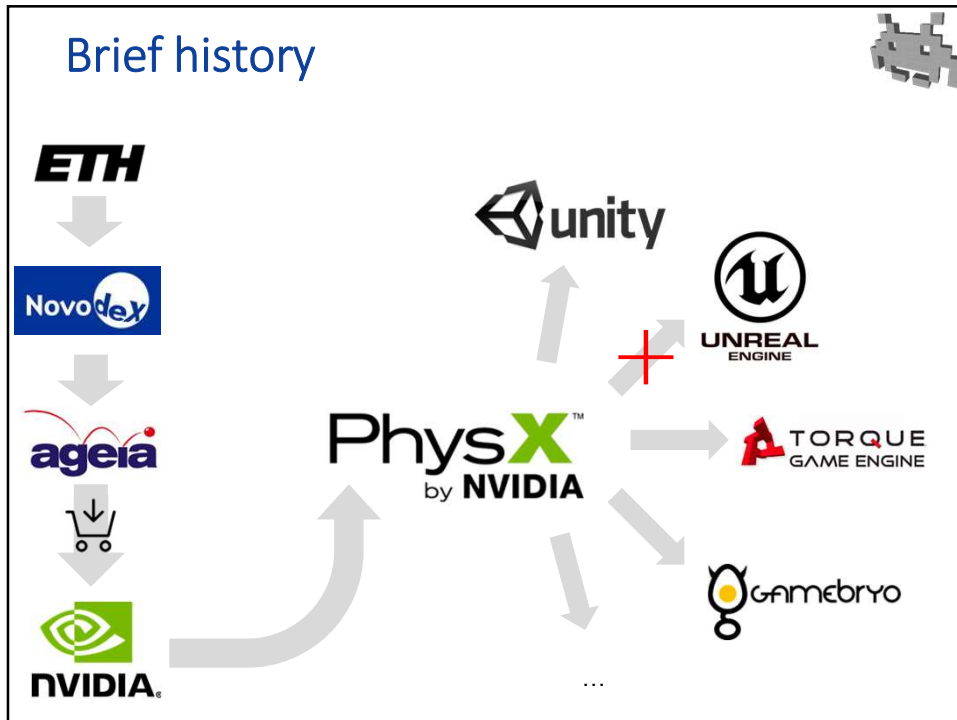
	mostly CPU (Microsoft)
	CPU+GPU (CUDA) NVidia
	open source, free, HW accelerated (OpenCL) + CPU
	open source, free
	2D, open source, free (adopted by Unity 2D)
	Jolt Physics open source, free



12


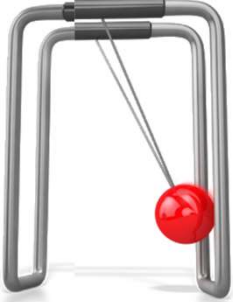


13



14


Fields of study



Dynamics	Statics	Kinematics
The motion, as a result of forces	Equilibrium states, minimal energy states	The motion itself, no matter why it moves
Example: <i>"Subject to gravity, how will this pendulum swing?"</i>	Example: <i>"In which state(s) can this pendulum be still?"</i>	Example: <i>"If the angular speed of the pendulum is currently X, how fast is the ball moving?" (or vice versa)</i>


16

The 2 tasks of the Physics engine


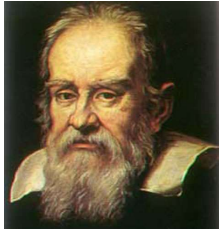


1. Dynamics (Newtonian)	2. Collision handling
for objects such as: <ul style="list-style-type: none">● Particles● Rigid bodies● Articulated bodies<ul style="list-style-type: none">● e.g. "ragdolling"● Soft bodies<ul style="list-style-type: none">● Ropes (specific solutions)● Cloth (specific solutions)● Hair (specific solutions)● Free-form deformation bodies (general)● Fluids<ul style="list-style-type: none">● Expensive!	<ul style="list-style-type: none">● Collision detection● Collision response


17



Newtonian Dynamics



18



Physics and spaces (observation)

- The scene hierarchy (the scene graph), and the entire distinction between local and global space, its's entirely "in our mind"
 - It's a useful abstraction to control or code *scripted* animations
 - E.g., kinematics animations, skeletal animations...
- But physics *doesn't care* about any of it
 - **Physics happens entirely in global (world) space**
 - Persistent spatial relationships (e.g., between a car and its wheels) either exists due to physical constraints, or they are irrelevant
 - Even if they physically exists, they are still enforced in global space, like all the rest of the physics simulation
 - Physics simulation computes changes to objects states (position, orientation...) in global space
 - But, as we know, these updates can be converted/stored in local space

19

Spatial placement of a (rigid) object

2D Physics

- Position:
 (x,y)
- Orientation:
 (α) – angle (scalar)

3D Physics


- Position:
 (x,y,z)
- Orientation:
quaternion or
axis,angle or
axis * angle or
3x3 matrix or
Euler angles

20

Newtonian dynamics: summary

Current object placement	Rate of change of ← (d / dt)	← “with mass” (momentum)	What changes the rate of change (d ² / dt ²)	← “with mass”
Position p $p = (x,y,z)$	Velocity \vec{v} $\vec{v} = \dot{p}$ ($\ \vec{v}\ $ = “speed”)	Momentum $m \vec{v}$	Acceleration $\vec{a} = \dot{\vec{v}} = \ddot{p}$	Force \vec{f} $\vec{f} = m \vec{a}$
Orientation (e.g. quaternion)	Angular velocity $\vec{\omega}$	Angular momentum $I \vec{\omega}$ <small>I = moment of inertia</small>	Angular acc. $\vec{\alpha}$	Torque $\vec{\tau}$ $\vec{\tau} = I \vec{\alpha}$ <small>(“mechanic momentum”)</small>

state (is kept! inertia!)
(changes, but only continuously)







change the state
(no memory)

22

Per-object constant: mass & its distribution (for non point-shaped ones)

A few quantities associated to each rigid object

- constants: they don't (normally) change
- *input* of the physics dynamic simulation, not output
- **Mass:**
 - resistance to change of velocity
- **Moment of Inertia:**
 - resistance to change of *angular* velocity
- **Barycenter:**
 - the center of mass





distribution of mass

23

Mass: notes

- resistance to change of velocity
 - also called *inertial* mass
- also, incidentally:
ability to attract every other object
 - also called *gravitational* mass
 - happens to be the same
- it's what you measure with a scale
- Unity of measure:
kg, g, etc...



24

Barycenter (of a rigid body): notes



- Aka the **center of mass** of an object
 - constant: it's a fixed point in *local* space for a rigid body
- Often (but not necessarily) is the origin of the local frame
 - if so, the *position* of a rigid body (the translation of its transform) = the position of its barycenter
- It's the *weighted average* of the positions of the subparts composing an object
 - literally "weighted": with their masses
- In absence of external forces, the object rotates (orbits, spins) around this position.

25

Moment of inertia: notes 1/3



- Resistance to change of angular velocity



high



low

- (an object rotates around its barycenter)

26

Moment of inertia: notes 2/3



- **Scalar** moment of inertia
 - Resistance to change of angular velocity
 - Depends on the total mass, and also on its *distribution*
 - the farthest one sub-mass from the axis, the > the resistance
- In 2D: it's a fixed value (for a given rigid object)
 - The object always spins around its barycenter

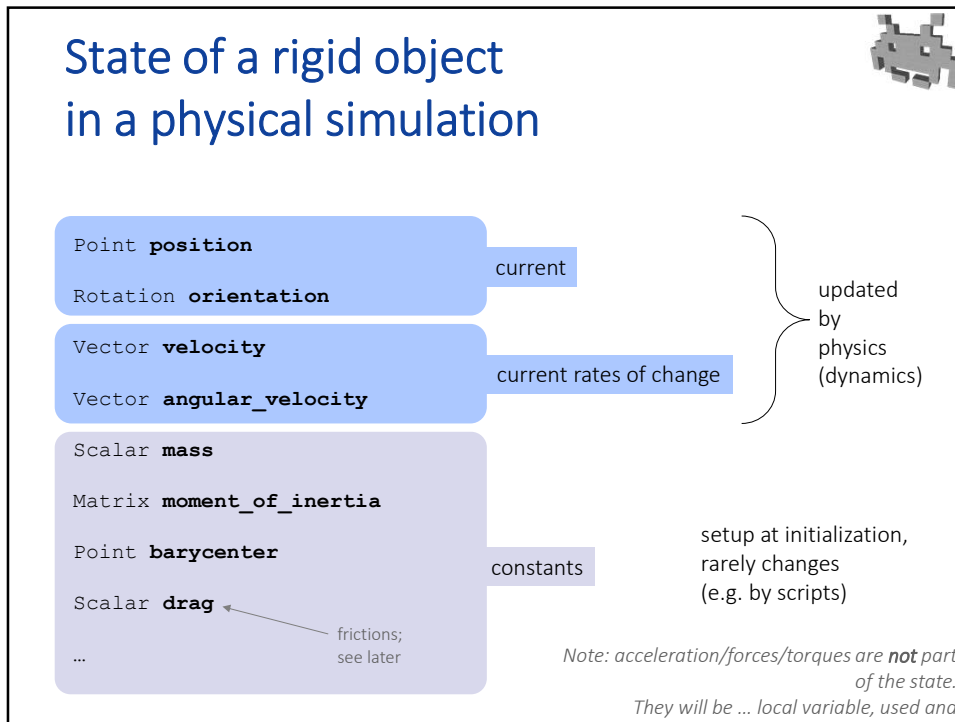
27

Moment of inertia: notes 3/3

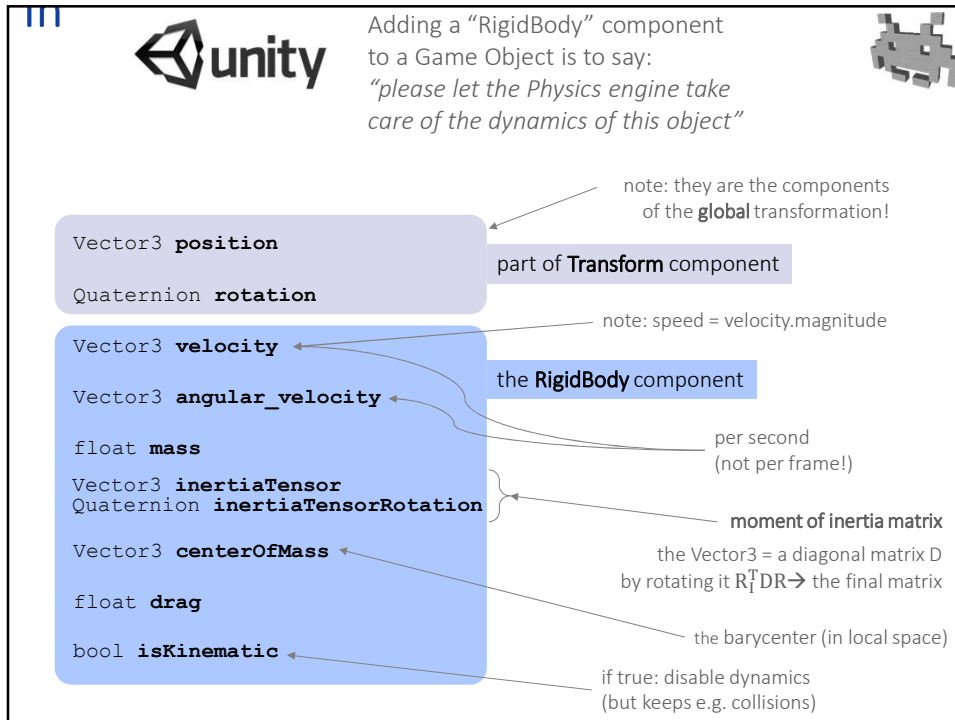


- In 3D: the rigid objects spins around an axis passing through the barycenter
 - for any possible axis of rotation, you have a different *scalar* moment of inertia
 - for a given axis \hat{a} the scalar moment is given by
$$\hat{a}^T \mathbf{M} \hat{a}$$
where 3×3 matrix \mathbf{M} is the «(moment of) inertia *matrix*» aka the «(moment of) inertia *tensor*»
- \mathbf{M} can be computed for a given rigid object
 - how: that's beyond this course
 - in practice: use given formulas for common shapes
 - or, sum the contributions for each sub-mass
- \mathbf{M} describes the scalar moment of inertia for any possible axis or rotation

28



29



30

The case of particles



- For now, we will study a simpler case: the dynamics of **particles** (and its simulation)
- **Particle** = ideal object shaped like a point, with all the mass concentrated in that point
- Particles-only is easier because the following are irrelevant:
 - rotation (orientation): a point does not rotate
 - the center of mass (it's the position of the particle itself);
 - the distribution of mass, i.e. the moment of inertia (there's none);
 - the torques (only forces matter);
 - the angular velocity (there's only linear velocities)
- These things are only relevant for non-point sized (rigid) objects
- The algorithms we are about to see can be extended to rigid bodies

31

State of a particle (point sized obj) in a physical simulation



Point **position**

~~Rotation **orientation**~~

Vector **velocity**

~~Vector **angular_velocity**~~

Scalar **mass**

~~Matrix **moment_of_inertia**~~

~~Point **barycenter**~~

Scalar **drag**

...

*not used for point sized objects!
("particles")*

One possibility in a game phys engine is to only simulate point-particles.

Simpler: no rotation needed!

We will see later how to still get rigid bodies back.

For now, we focus on this simpler case.

32